

Week-by-Week Schedule for MA242.001 and MA242.003, Fall, 2019

Week of	Section	Topic
8/21 – 8/23	1.1	Cartesian Coordinates : In 2 and 3 dimensional space
	1.2	Vectors in 2 and 3 Dimensions :
	1.2	Continue study of vectors
8/26 – 8/30	1.3	The Angle Between Two Vectors : The Dot Product
	1.4	The Cross Product :
	1.5	Lines and Planes in 3-dimensional Space
		More on equations of lines and planes
9/2	Monday	Holiday
9/3 – 9/6	2.1	The Calculus of Vector-valued Functions : Limits, derivatives and integrals
	2.2	Parameterized Curves in Space : Newton's second law. Free fall under gravity.
	2.2	Projectile motion under gravity.
9/9 – 9/13	2.3	Fundamental Quantities Associated with a Curve : Tangent vectors, arc length and curvature
	2.4	The Intrinsic Geometry of Curves in 3-Space ; curvature and the osculating plane
	2.4	More on the geometry of curves in space; the osculating circle
	2.5	The decomposition of the acceleration vector into its normal and tangential components and the formula
		$\vec{a}(t) = \frac{dv}{dt}(t)\hat{T}(t) + \kappa(t)v^2(t)\hat{N}(t)$
September 16	Monday	TEST #1
9/18 – 9/20		Multivariable Functions : Material up through level curves
	3.1	Level surfaces of functions of 3 variables. Parametric surfaces.
	3.2	Limits and Continuity : Theorems on limits; Continuity;
	3.3	Directional Derivatives : Partial derivatives; higher derivatives;
9/23 – 9/27	3.3	Geometrical interpretation of partial derivatives; Tangent plane to the graph of $f(x,y)$
	3.4	Differentiability of multivariable functions : Definition; Differentiability and continuity; Theorem 9 on characterizing differentiability.
	3.5	The Directional Derivative and the Gradient : Formula for the directional derivative in terms of the gradient (Corollary 2).
What does the gradient vector say about a function?		
9/30 – 10/04		The Chain rules for multivariable functions
	3.5	Tangent planes to graphs $z = f(x,y)$; The general chain rule

	3.6	Optimization : local and global extreme values of $f(x,y)$
	3.6	More on extreme values
	4.1	Double Integrals over a rectangle as a limit of Riemann sums
		Fubini's Theorem for double integrals over rectangles; iterated integrals
10/7	4.1	More on Fubini's Theorem
10/8	Tuesday	Review in Problem Sections
10/9	Wednesday	Test #2
10/10 – 10/11	Thur. – Fri.	Fall Break
10/14 – 10/18	4.1	Double integrals over general regions
	4.1	Reversing the order of integration;
	4.2	Applications of Double Integrals
		More on applications of double integrals
10/21 – 10/25	4.3	Triple Integrals in Cartesian Coordinates : Over rectangular solid regions
		Triple integrals over z -simple regions
		Triple integrals over x - and y - simple regions
		Applications of Triple Integrals
10/28 – 11/01	5.1	Double Integrals in Polar Coordinates : over polar rectangles
	5.2	Double Integrals in Polar Coordinates over general regions Triple Integrals in cylindrical coordinates
11/04	5.3	Triple integrals in spherical coordinates
	5.3	More on triple integrals in spherical coordinates (in recitation section)
11/06	Wednesday	TEST #3
11/08	6.1	Vector Fields
11/11 – 11/15	6.2	Line Integrals of functions
	6.3	Line Integrals of vector fields; The Fundamental Theorem for Line Integrals
		Conservative vector fields and potential functions; Conservation of total energy
11/18 – 11/22	6.4	Parametric Surfaces in Space : graphs, spheres and cylinders
	6.5	Surface Integrals: Surface Area of a Parametrized Surface Tangent planes to parametric surfaces
	6.5	Surface Integral of a Vector Field
11/22	Friday	Test #4
11/25	7.2	The Divergence of a Vector Field
11/26	7.2	The Curl of a Vector Field
11/27 – 11/29		Thanksgiving Vacation
12/2	7.3	Green's theorems
12/4	7.4	The Divergence Theorem

12/6	7.5	Stokes' Theorem
	Final exam Ma242.001	Monday, December 9, 8:00 – 11:00 am
	Final exam Ma242.003	Wednesday, December 18, 8:00 – 11:00 am